

# **Atomic Structure and Semiconductor**

## **Lecture - 40**

(24/04/2021)

**B.Sc (Electronics)  
TDC PART - I  
Paper – 1 (Group – B)  
Chapter – 4  
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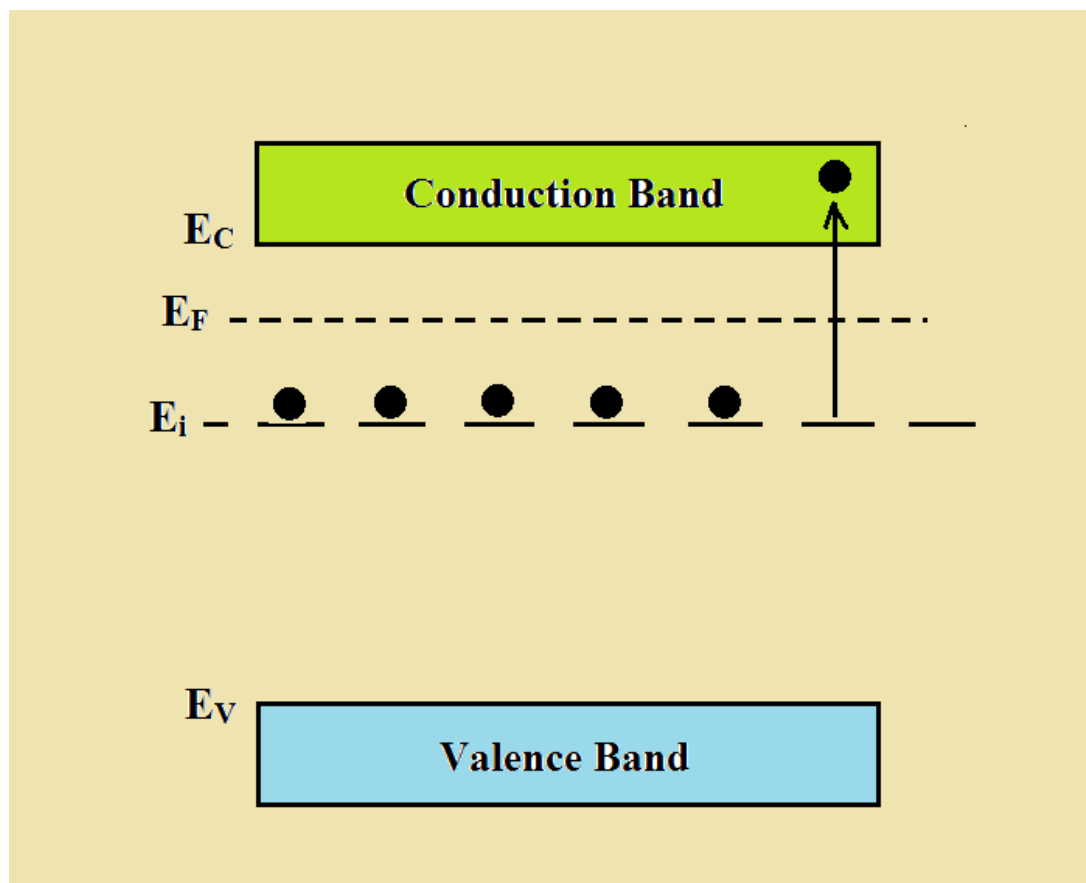
### **➤ Fermi Level in an Extrinsic Semiconductor (PART – 1)**

⇒ In extrinsic or **impurity semiconductor impurity atoms**, however, **reduce the Energy gap  $E_g$** . Donors represent **isolated energy levels** located so close to unfilled band (**0.01 eV** below the lower edge of conduction band) that **very little energy is required to lift an electron from the donor level into the unfilled band (conduction band)**, where it is available for the conduction of electricity.

⇒ **Similar case is for acceptors** representing **isolated energy levels** close to the filled band. The energy levels of the impurity atoms are **shown as isolated dots**, not as a band because these atoms are isolated from each other (i.e., there is no interaction between impurity atoms).

## ➤ n- Type Semiconductor

⇒ From **Figure (1)** shown in below, **Conduction Band**, there are  $N_d$  **Donor Levels** per  $\text{cm}^3$  of energy  $E_i$ . At low temperatures, small fraction of Donors will be ionised and practically **Donor Levels will be filled with electrons**.



**Fig. (1)** Shown Indicating donor levels.

⇒ Let us assume that  $(E_C - E_F) > 4 K_B T$ , then in that case **density of electrons in conduction band** will be given by **equation (10)** of **Lecture - 37**, i.e.,

$$n_c = 2 \left( \frac{2 \pi m_e^* K_B T}{h^2} \right)^{\frac{3}{2}} \exp \left( \frac{E_F - E_C}{K_B T} \right) \dots\dots\dots (10)$$

$$\therefore n_c = 2 \left( \frac{2 \pi m_e^* K_B T}{h^2} \right)^{\frac{3}{2}} \exp \left\{ \frac{(E_F - E_C)}{K_B T} \right\} \dots\dots\dots (55)$$

⇒ If we **assume** that  $E_F$  lies more than a few  $K_B T$  above the donor level then the **density of empty donors** is given by,

$$N_d [1 - F_i(E_i)] \approx N_d \exp\left(\frac{E_i - E_F}{K_B T}\right) \dots\dots\dots (56)$$

⇒ But the **density of empty donors should be the same as the density of electrons in the conduction band.** Then from equation (55) and equation (56), we get,

$$\therefore 2 \left[\frac{2 \pi m_e^* K_B T}{h^2}\right]^{\frac{3}{2}} \exp\left\{\frac{(E_F - E_C)}{K_B T}\right\} = N_d \exp\left\{\frac{(E_i - E_F)}{K_B T}\right\} \dots\dots (57)$$

⇒ Taking **logarithm** of the above equation (57), then we get,

$$\text{or, } \frac{(E_F - E_C)}{K_B T} - \frac{(E_i - E_F)}{K_B T} = \log N_d - \log 2 \left[\frac{2 \pi m_e^* K_B T}{h^2}\right]^{\frac{3}{2}} \dots\dots (58)$$

$$\text{or, } E_F = \frac{E_i - E_C}{2} + \frac{K_B T}{2} \log \left[ \frac{N_d}{2 \left(\frac{2 \pi m_e^* K_B T}{h^2}\right)^{\frac{3}{2}}} \right] \dots\dots\dots (59)$$

⇒ At **T = 0 K**,

$$\therefore E_F = \frac{E_i - E_C}{2} \dots\dots\dots (60)$$

⇒ Which shows that **Fermi Level lies exactly half way between the donor levels and bottom of conduction band.** As **T increases, Fermi Level drops.** This is shown below in **Figure (2)** for the case  $(E_F - E_C) = 0.2 \text{ eV}$  for three different values of  $N_d$ .

⇒ Putting the value of  $E_F$  from equation (59) into  $exp(E_F - E_C)$ , we get,

$$\text{or, } exp\left(\frac{E_F - E_C}{K_B T}\right) = exp\left[\frac{E_i - E_C}{2 K_B T} + \frac{1}{2} \log\left\{\frac{N_d}{2\left(\frac{2\pi m_e^* K_B T}{h^2}\right)^{\frac{3}{2}}}\right\}\right] \dots (61)$$

$$\text{or, } exp\left(\frac{E_F - E_C}{K_B T}\right) = exp\left(\frac{E_i - E_C}{2 K_B T}\right) \cdot \frac{(N_d)^{\frac{1}{2}}}{\left\{2\left(\frac{2\pi m_e^* K_B T}{h^2}\right)^{\frac{3}{2}}\right\}^{\frac{1}{2}}} \dots (62)$$

⇒ The above value of  $exp\left(\frac{E_F - E_C}{K_B T}\right)$  which when substituted in equation (55) gives,

$$\therefore n_c = 2 \left(\frac{2\pi m_e^* K_B T}{h^2}\right)^{\frac{3}{2}} exp\left(\frac{E_F - E_C}{K_B T}\right) \dots (55)$$

$$\text{or, } n_c = 2 \left(\frac{2\pi m_e^* K_B T}{h^2}\right)^{\frac{3}{2}} exp\left(\frac{E_i - E_C}{2 K_B T}\right) \cdot \frac{(N_d)^{\frac{1}{2}}}{\left\{2\left(\frac{2\pi m_e^* K_B T}{h^2}\right)^{\frac{3}{2}}\right\}^{\frac{1}{2}}} \dots (63)$$

$$\text{or, } n_c = 2 \left[\frac{2\pi m_e^* K_B T}{h^2}\right]^{\frac{3}{2}} \cdot \frac{(N_d)^{\frac{1}{2}}}{\left[2\left(\frac{2\pi m_e^* K_B T}{h^2}\right)^{\frac{3}{2}}\right]^{\frac{1}{2}}} \cdot exp\left\{\frac{(E_i - E_C)}{2 K_B T}\right\} \dots (64)$$

$$\text{or, } n_c = (2N_d)^{\frac{1}{2}} \left[\frac{2\pi m_e^* K_B T}{h^2}\right]^{\frac{3}{4}} exp\left\{\frac{(E_i - E_C)}{2 K_B T}\right\} \dots (65)$$

$$\text{or, } n_c = (2N_d)^{\frac{1}{2}} \left[\frac{2\pi m_e^* K_B T}{h^2}\right]^{\frac{3}{4}} exp\left\{\frac{-\Delta E}{2 K_B T}\right\} \dots (66)$$

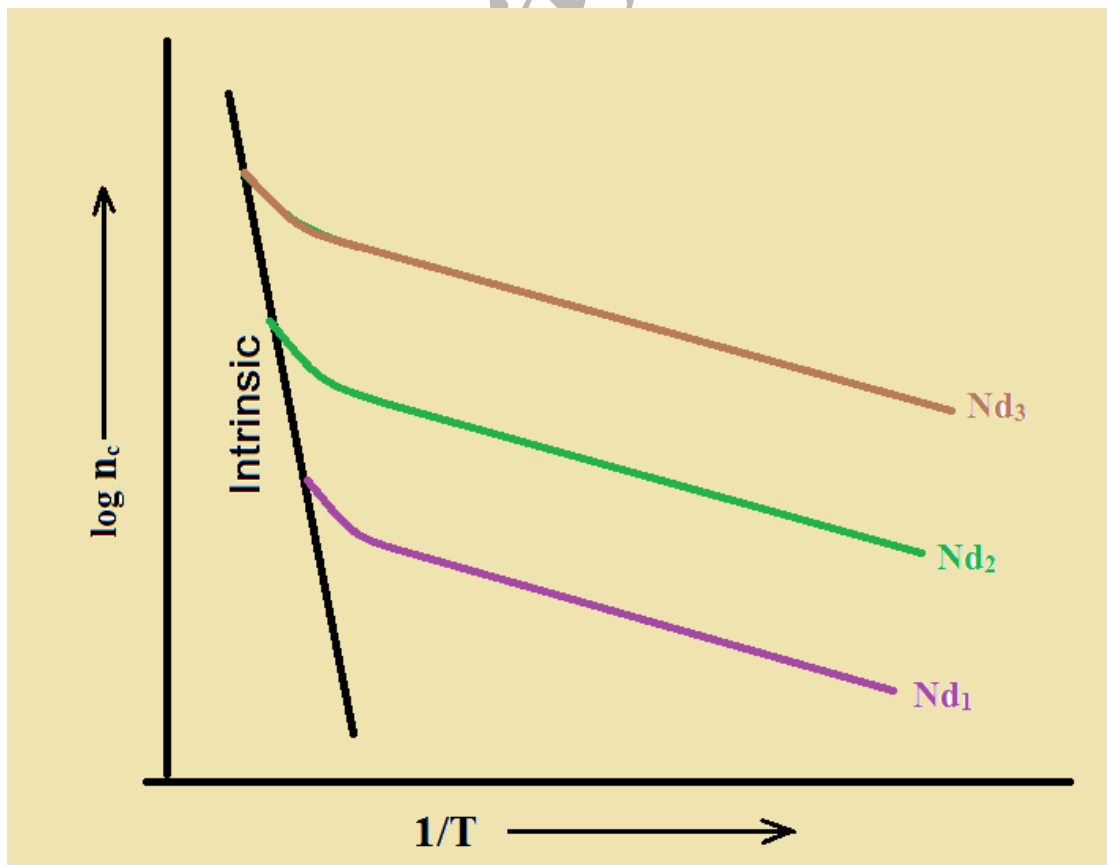
⇒ Where  $\Delta E = (E_c - E_i)$  is called **Ionisation Energy of donors**. We note that:-

(1) *Density of electrons in the conduction band is proportional to the square root of the donor concentration.*

(2) As the **temperature increases**, the Fermi Level falls below the donor level and it approaches the centre of forbidden gap which makes the substance an **intrinsic semiconductor**. The conductivity of intrinsic semiconductor is smaller than n- type and p- type semiconductors.

(3) In this case Fermi Level lies Half way between the Donor Levels and Bottom of Conduction Band.

⇒ In below **Figure (2)** shown, a graph is plotted in  $\log n_c$  and  $\frac{1}{T}$  which gives a straight line with a slope  $\frac{-\Delta E}{2 K_B}$ .



**Fig. (2)** Shown Variation of Conduction Electron Density with Temperature.

⇒ If  $T$  becomes sufficient high so as to excite electrons from valence band to reach directly to conduction band (intrinsic excitation) then this slop change to  $\frac{-E_g}{2K_B}$  as mentioned in Lecture -39.

to be continued .....

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